

# Prediction of Austenitic Weld Metal Microstructure and Properties

*With advent of new stainless steels, a wider range of alloys must be considered in predicting ferrite*

BY D. L. OLSON

**ABSTRACT.** Diagrams, such as the Schaeffler and DeLong diagrams, have been used to assist in the proper selection and use of austenitic filler materials and to predict weld metal microstructures and properties. These diagrams have been very successful in predicting the amount of delta ferrite in stainless steel weld metal. This paper is concerned with the predictability of austenitic weld metal microstructure and properties over a larger compositional range.

There are two main different types of phase transformations associated with austenitic weld metal. Existing analytical methodology has been successful at predicting quantitatively the nature of the liquid to delta ferrite transformation. But the austenite to martensite transformation for high alloy weld metal needs to be better understood if welding consumables for new high manganese ferrous alloys are to be developed to achieve optimum properties and service behavior. In this paper, new expressions are introduced to predict the martensite start room temperature composition or the martensite start temperature. Some of these high manganese ferrous alloys are the basis for the new "no chromium" stainless steel. Various available diagrams, which allow for the prediction of weld metal microstructure, will be given.

New mathematical forms for expressions to predict weld metal phase stability and microstructure, based on solution thermodynamics and kinetics, will be introduced. These new expressional forms should allow for better predictability over a larger alloy range. The non-

homogeneous (cored) nature of the weld metal composition will also be considered. These new forms can allow fundamental alloying and solid solution information to be obtained from the microstructure or property correlations with the weld metal compositions.

## Introduction

As new engineering materials are developed it is important to develop the methods and materials for welding them. Austenitic weld metals are frequently utilized for joining various engineering materials and for a variety of reasons. Austenitic consumables have been extensively used to form the transition weld metal in dissimilar ferrous alloy joints, to join stainless steel, in weld repair, in hardfacing, and in corrosion resistant claddings. If properly alloyed, austenitic weld metal is strong, ductile, resistant to hot-cracking, and capable of retaining potentially troublesome contaminants in solid solution. Austenitic consumable wire is readily cold formed, facilitating its production. But some austenitic compositions are characterized by a high thermal expansion coefficient which often leads to the development of high residual stresses in the weld. Weld metal microstructures based on traditional austenitic weld metal compositions can be predicted from empirical diagrams, such as the Schaeffler diagram (Ref. 1). Difficulties arise, however, when the weld metal composition extends beyond the application range of the original empirical relationships. This situation is the case, for

instance, when the Schaeffler diagram is applied to weld metal of a different thermal history, or of a vastly different chromium concentration, than that of the original study. It would, therefore, be advantageous to utilize the fundamentals of materials science to develop expressions which would be more generally applicable to predict weld metal microstructure and properties.

## The Fe-Cr-Ni Weld Metal System

In 1906 Guillet (Ref. 2) first introduced the Fe-Cr-Ni alloy system as a potential engineering material for corrosion resistance and mechanical applications. The works of Gieson (Ref. 3), Monnartz (Ref. 4), and Maurer and Strauss (Ref. 5) led to the commercialization of the 18Cr-8Ni alloys, the basis for most of the 300 series stainless steel alloys. By 1934, the understanding that low carbon contents (0.03) gave austenitic stainless steel a superior intergranular corrosion resistance was established.

Strauss and Maurer (Ref. 6) introduced a nickel-chromium diagram, which was later modified by Scherer, Riedrich and Hoch (Ref. 7), that allowed prediction of the various phases in the microstructure

---

*This paper is the 1984 Adams Lecture, presented at the AWS 65th Annual Meeting, held April 9-13, 1984, in Dallas, Tex.*

*D. L. OLSON is Professor and Director at the Center for Welding Research, Colorado School of Mines, Golden, Colo.*

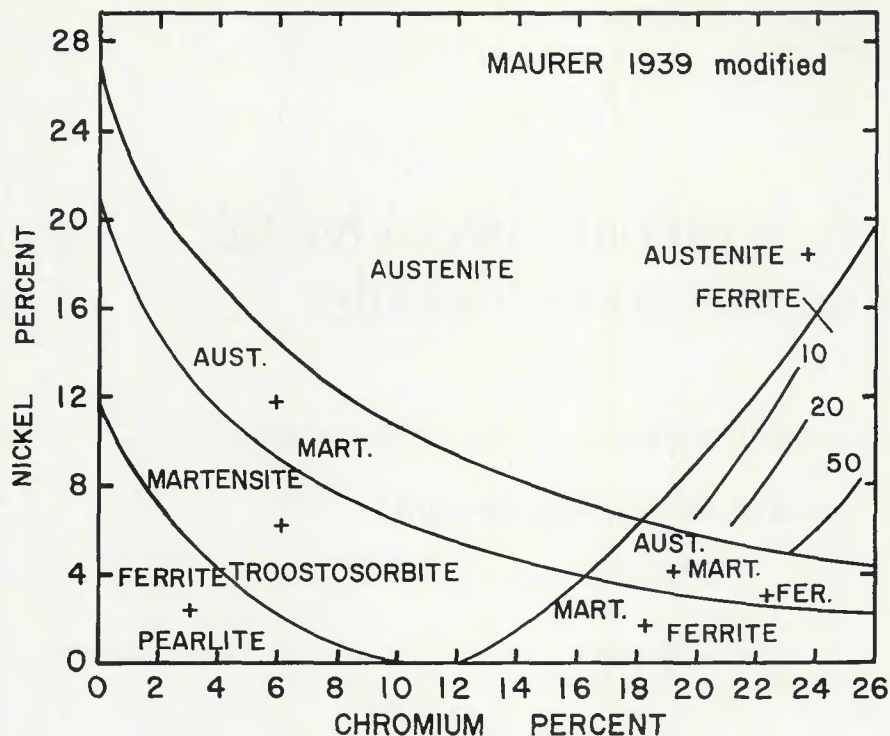


Fig. 1—The nickel-chromium diagram used by Maurer to predict microstructure. Notice that the phase boundary lines are curved

within the composition range of 0 to 26 weight percent chromium and 0 to 25 weight percent nickel. If carbon, silicon and manganese contents were held within specific limits, the lines of this nickel-chromium diagram were useful in predicting microstructure for a given composition. The diagram had curved lines, as seen in Fig. 1, defining regions of austenite, ferrite, martensite, troostosorbite (very fine pearlite), and regions of combinations of these phases. The diagram was developed based on wrought materials and not solidified materials.

Newell and Fleischmann (Ref. 8) were first in developing an expression for defining austenite stability as a function of alloy content for this system. They were also concerned with wrought product. Their constitutive expression for predicting the austenite-austenite plus ferrite boundary is given as:

$$Ni = \frac{(Cr + 2Mo - 16)^2}{12} - \frac{Mn}{2} + 30(0.10 - C) + 8 \quad (1)$$

where the chemical symbols represent weight percent of that element. Notice in the Newell-Fleischmann equation that manganese is reported to be one-half as effective in stabilizing austenite as nickel. Carbon was reported to be 30 times more effective than nickel. Also, chromium and molybdenum were both found to have a nonlinear relationship with nickel, which is consistent with the curve

line for the boundary for the austenite and austenite plus ferrite regions on the Maurer diagram—Fig. 1. The Newell-Fleischmann equation was reported to describe the austenite stability curve in the 14 to 19 percent chromium and the 10 to 16 percent nickel range.

The science of welding with austenite filler materials became a high interest topic just prior to and during World War II. Besides the need to produce quality stainless steel consumables, the activity in

austenitic welding during this period had to do with welding high strength (armor) materials for the national defense efforts (Refs. 9-24). The use of austenitic weld metal in welding difficult ferrous assemblies was based on the knowledge obtained during the previous decade that austenitic stainless steel can maintain high ductility and moderate strength over a large temperature range with fairly wide compositional variations. What was required for proper application of Fe-Cr-Ni austenitic consumables was some quantitative method to predict the maximum amount of base metal dilution that can be realized and still achieve the weld metal composition which will produce a ductile austenitic matrix and not a brittle weld metal martensitic structure.

Feild, Bloom and Linnert (Ref. 10) applied the Newell-Fleischmann expression to predict weld metal microstructure and found that the expression did not accurately predict solidified microstructure. Their specific concern was in predicting austenitic weld metal microstructure that was being used to weld armor steel. They reported that the weld should contain some ferrite to assist in preventing root bead cracking. Feild, Bloom and Linnert (Ref. 10) reported that a modification to the Newell-Fleischmann expression, by changing the constant, 8, to 14 in equation 1, gave a better prediction of austenite stability for the compositional range where chromium varied from 18 to 21 percent and nickel varied 9 to 11 percent. Moving the austenite promoter to the left side, the expression becomes

$$\frac{Ni + 0.5Mn + 30C}{(Cr + 2Mo - 16)^2} + 14 \quad (2)$$

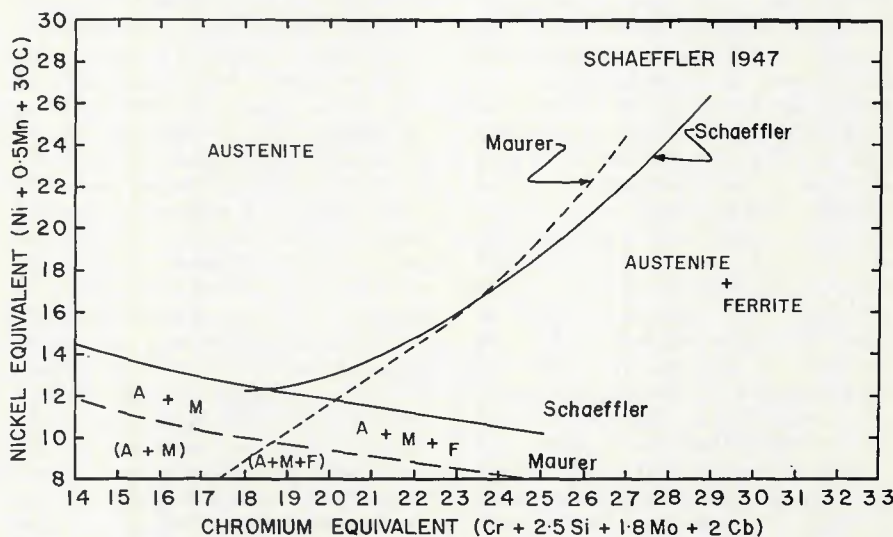


Fig. 2—The Schaeffler diagram of 1947, which indicates some of the primary phase boundaries, compares the curve from Maurer's nickel-chromium diagram to the Schaeffler diagram which uses nickel and chromium equivalent equations. Notice the coefficient used for the chromium equivalent equation and that the lines are not linear

Post and Eberly (Ref. 22), who were concerned with austenite to pseudo-martensite transformation during cold working, reported the following equation for austenite stability:

$$\frac{\text{Ni} + 0.5\text{Mn} + 35\text{C}}{(\text{Cr} + 1.5\text{Mo} - 20)^2} + 15 \quad (3)$$

The Post-Eberly equation was used to explain austenite stability in the chromium range of 14 to 25 percent and a nickel range of 7 to 21 percent. Thus, it was shown that the Newell-Fleischmann expressional form was satisfactory in the prediction of austenite stability relative to both delta ferrite and martensite.

The concept of equivalence started to take a more established form when Campbell and Thomas (Ref. 15) reported that 25 chromium 20 nickel weld metal microstructure and mechanical properties could be correlated to small additions of molybdenum and columbium by using a chromium equivalent expression, which was written as chromium equivalent =  $\text{Cr} + 1.5\text{Mo} + 2\text{Cb}$ . Binder, Brown and Franks (Ref. 24) reported austenite stability relative to delta ferrite is given by:

$$\text{Ni} + 30\text{C} + 26\text{N} = 1.3\text{Cr} - 11.1 \quad (4)$$

Thomas (Ref. 19) suggested the following more inclusive linear equation for predicting the austenite stability boundary relative to delta ferrite formation:

$$\text{Ni} + 0.5\text{Mn} + 30\text{C} = 1.1(\text{Cr} + \text{Mo} + 1.5\text{Si} + 0.5\text{Cb}) - 8.2 \quad (5)$$

These were the first steps towards the linearization of the final Schaeffler and DeLong diagrams.

Schaeffler (Ref. 17), using the above concepts for microstructural correlation and an extensive experimental effort, made a diagram which had compositional variables on the axes and ranges for the specific weld metal microstructural phases plotted in the diagram. The coordinates of the diagram were given as nickel-equivalent and chromium-equivalent, on the vertical and horizontal axes, respectively. This choice of axes allows correlation of the effects of the "austenite formers" (Ni, Mn, C, etc.) and the "ferrite formers" (Cr, Mo, etc.) on the final microstructure. One of the original Schaeffler diagrams is seen in Fig. 2.

The original Schaeffler nickel equivalent equation, which has compositions given in weight percent, is described (Ref. 17) as follows:

$$\text{Ni}(\text{eq}) = \text{Ni} + 0.5\text{Mn} + 30\text{C} \quad (6)$$

This equation is consistent with the earlier finding of Newell and Fleischmann (Ref. 8). This empirical expression indicates that, in comparison to manganese, nickel

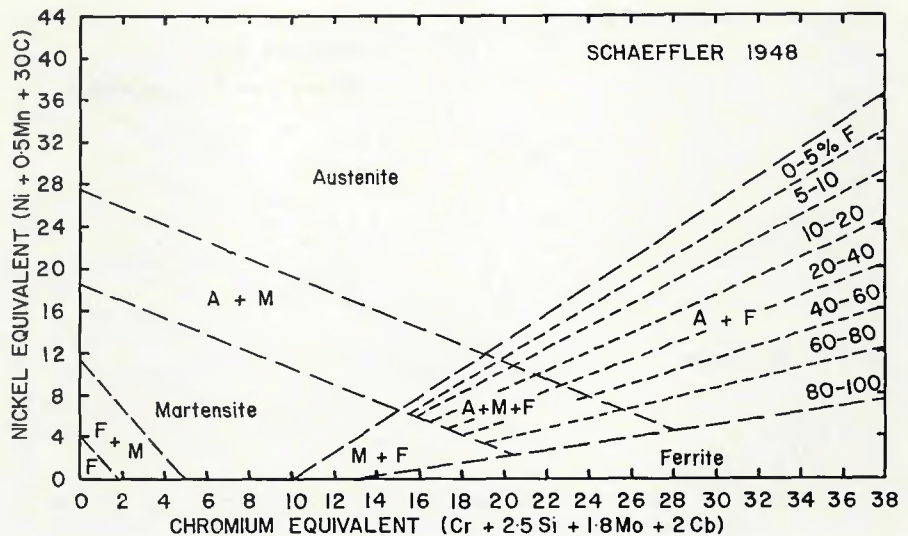


Fig. 3 - The Schaeffler diagram of 1948 gives a more quantitative description of the ferrite content and the lines were presented as linear

is twice as effective as an austenite stabilizer. Notice the extremely strong austenite stabilizing influence of carbon. The original Schaeffler chromium equivalent equation is given (Ref. 17) by:

$$\text{Cr}(\text{eq}) = \text{Cr} + 1.8\text{Mo} + 2.5\text{Si} + 2\text{Cb} \quad (7)$$

Notice on the original Schaeffler diagram, as seen in Fig. 2, that the phase boundary lines have curvature. This curvature, which suggests elemental synergistic effects, implies that these equivalence equations should have had cross terms if the lines on the diagram were to be linear. The experimentally determined curved boundary lines between fully austenite weld metal and the austenite-plus-ferrite region were reported by Schaeffler (Ref. 17) to be expressed mathematically by the equation

$$\text{Ni}_{\text{eq}} = \frac{(\text{Cr}_{\text{eq}} - 16)^2}{12} + 12 \quad (8)$$

It is interesting that the quadratic nature of the austenite stability showed up as late as 1969, when Griffith and Wright (Ref. 169) reported the following equation:

$$\text{Ni} + 0.5\text{Mn} + \text{Cu} + 35\text{C} + 27\text{N} = \frac{1}{12}(\text{Cr} + 1.5\text{Mo} - 20)^2 + 15 \quad (9)$$

Notice the similarity of this equation with the expressions of Newell and Fleischmann (Ref. 8), Feild, Bloom and Linnert (Ref. 10), and Post and Eberly (Ref. 22), which were described above. It must be remembered in reviewing the work of various investigators that the heat input (and thus cooling rate) influences the nature of the solidified microstructure and will also cause shifts in these curves.

A Schaeffler diagram, nearly as we now know it, can be seen in Fig. 3. This

diagram was introduced (Ref. 18) in 1948. It increased the ability to quantitatively predict weld metal microstructure, especially in the two phase region of austenite and delta ferrite. Also notice the synergistic influence of chromium on the austenitic stability of nickel. It takes approximately 30 weight percent nickel to stabilize austenite with no chromium, but only 12 weight percent nickel with 19 weight percent chromium. This diagram has a chromium equivalent as suggested in equation 7.

Schaeffler (Ref. 17) also demonstrated on his original diagram a method to graphically predict weld metal microstructure as a function of the amount of base plate dilution. In 1949, Schaeffler (Ref. 1) reported a modified diagram as seen in Fig. 4. It is this diagram that is used today. The major modification is with the chromium equivalent expression, which was changed to be

$$\text{Chromium Equivalent} = \text{Cr} + \text{Mo} + 1.5\text{Si} + 0.5\text{Cb} \quad (10)$$

Seferian (Ref. 27) developed an expression to calculate the amount of delta ferrite from these nickel and chromium equivalent expressions. This expression is given as:

$$\text{delta ferrite} = 3[\text{Cr}_{\text{eq}} - 0.93\text{Ni}_{\text{eq}} - 6.7] \quad (11)$$

where the nickel and chromium equivalents are calculated using the Schaeffler equations.

Two other similar diagrams have been reported. Schneider (Ref. 25) developed in 1960 a diagram for the prediction of cast microstructure, as seen in Fig. 5. This diagram introduced cobalt and vanadium to the nickel and chromium equivalent, respectively. Kakhovskii, et al. (Ref. 26), reported the diagram illustrated in Fig. 6 for





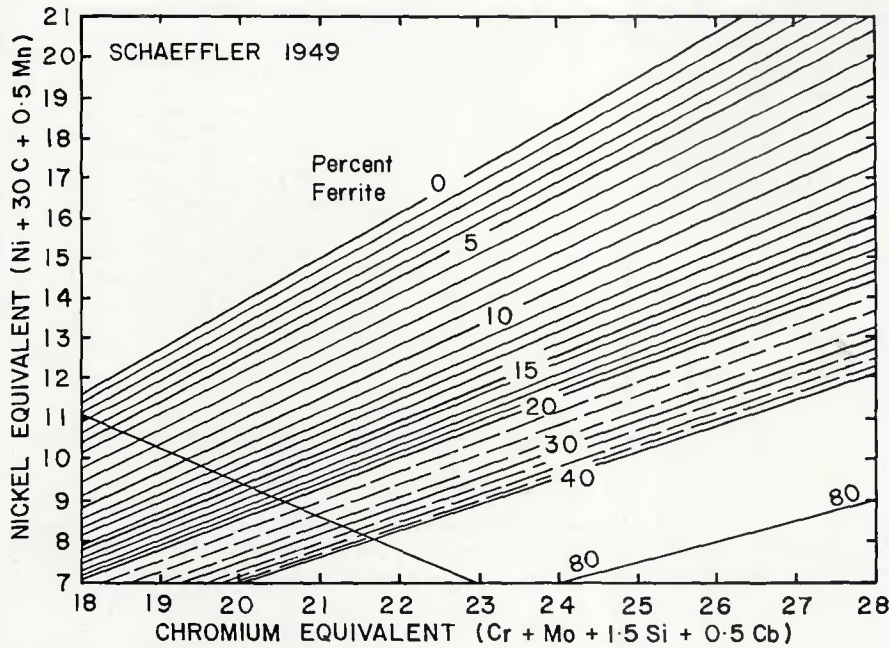


Fig. 9—The Schaeffler diagram of 1949 with a refined percent ferrite scale

room temperature. The horizontal axis is described by a parameter,  $\beta_c$ , where

$$\beta_c = 2.5 - 0.01\text{Ni} - 0.06\text{Co} - 0.12\text{Mo} - 0.50\text{Ti} - 1.00\text{Si} \quad (17)$$

where  $\beta_c$  relates the influence of alloy composition to promote Laves phase formation.

### Role of Delta Ferrite

The hot cracking susceptibility of austenitic stainless steels is reduced with a duplex microstructure (Refs. 39-68). Investigators contend that three to eight volume percent delta ferrite is required to reduce hot cracking susceptibility. However, ferrite is not a sufficient condition to prevent hot cracking. Recent investigations have shown that a primary ferrite solidification mode is also necessary (Refs. 69-104). To ensure primary ferrite solidification, alloy composition must lie on the effective chromium-rich side of the liquidus projection line on the Fe-Cr-Ni phase diagram shown in Fig. 14.

The liquidus line starts on the iron-nickel as a peritectic three phase reaction. The peritectic behavior will occur until the liquidus line crosses the austenite solidus line, which occurs at approximately 8 weight percent chromium and 5.5 weight percent nickel. After crossing the austenite solidus, the liquidus stays between the ferrite and austenite solidus lines, which represents the eutectic type reaction that is illustrated in the isopleth shown in Fig. 15. Fredriksson (Ref. 105) has investigated the solidification behavior in iron-base alloys in the region where there is a transition behavior from peritectic to eutectic reaction behavior.

itectic to eutectic reaction behavior.

Suutala, et al. (Refs. 73, 74), determined the liquidus projection line as a function of modified nickel and chromium equivalent expressions, as seen in Fig. 16. He clearly distinguishes the regions of primary ferrite and primary austenite. Suutala indicates the location of the liquidus line on the DeLong diagram in Fig. 17. It is clear from Fig. 17 that not all ferrite is primary ferrite and that using ferrite content as a measure of hot cracking susceptibility must be done with discretion. Suutala (Ref. 74), Vitek and David (Ref. 102), and Lippold (Ref. 167) have illustrated that the boundary between primary austenite and primary ferrite

solidification is not just a function of weld metal composition, but is a function of the growth rate when the welding process promotes growth rates greater than 10 mm/s (0.39 in./s).

Delta ferrite amount, morphology and distribution required to produce optimal weld strength were determined to be service temperature dependent. At low service temperatures, delta ferrite has a ductile to brittle transition temperature (Refs. 106, 107). Therefore, a weld metal microstructure containing a low ferrite content with a noncontinuous network is desired to limit brittle crack propagation. Less than eight volume percent delta ferrite is required to insure a noncontinuous network. For each type of austenitic stainless steel, there is a specific volume-percent of delta ferrite which yields optimum strength.

At high temperature, delta ferrite transforms to sigma phase, which is brittle (Refs. 108-110), thus, also requiring control of the ferrite content. For type 316 stainless steel, five volume percent delta ferrite provides a noncontinuous network and optimum high temperature creep strength (Ref. 110).

### The Fe-Cr-Ni-N Weld Metal System

Small amounts of nitrogen in austenitic stainless steels have been known to alter microstructure-sensitive properties and are probably the greatest source of error in using the diagrams. Early investigators studied nitrogen as a solid solution strengthener and as a potential substitute for a certain amount of nickel in austenitic stainless steel (Refs. 111-119). It was determined that nitrogen acted as a solid solution strengthener similar to carbon; however, the nitrogen strengthening

Table 1—Nickel Equivalents for Delta Ferrite Prediction

Ni	Mn	Mn <sup>2</sup>	C	N	Cu	Co	Investigators	Ref.
1.0			17.0	11.0			Avery	166
1.0	0.5		30.0				Feild, Bloom and Linnert	10
1.0	0.5		30.0				Henry, Claussen and Linnert	164
1.0	0.5		30.0				Schaeffler	1
1.0	0.5		30.0	30.0	0.3		Ferree	165
1.0	0.5		30.0	30.0			DeLong and Reid	28
1.0			30.0	20.0			Guiraldenq	64
1.0	0.5		27.0	37.0	0.5	0.4	Potak and Sagalevich	37
1.0	0.5		30.0	10-25	0.6		Castro and de Cadenet	58
1.0	0.5		30.0			1.0	Schneider	25
1.0	0.11	0.82	24.5	18.4	0.44	0.41	Hull	31
1.0	0.5		30.0	13.6			Okagawa, et al.	124
1.0	0.31		22.0	14.2	1.0		Suutala	126
1.0	0.5		30.0	30.0			Kakhovskii, et al.	26
1.0	0.5		30.0	8-45.0			Norozhilov, et al.	33
1.0	0 <sup>(a)</sup>		30.0	30.0			Kotecki	30

<sup>(a)</sup>Mn functionality is replaced by a constant of 0.35.









positions in Fig. 19. Both original Schaeffler data and their own were plotted to test their modified nickel equivalent expression. Apparently, the original nickel equivalent expressions cannot describe both regions of the Schaeffler diagram accurately (the solidification formation of delta ferrite and the athermal martensitic transformation).

It should be noted from equation 23 that there is an interaction between chromium and nickel, and a self-interaction of chromium, as indicated by the  $(Cr)^2$  term. The  $0.083(Cr)(Ni)$  term expresses the synergistic stabilization of austenite by nickel and chromium, while the  $(Cr)^2$  term is an expression of non-ideal solution behavior of chromium, which becomes appreciable when chromium atoms become nearest-neighbors for compositions greater than six percent chromium. It is also interesting that the  $(Cr)^2$  term was in early equations of Newell and Fleischmann (Ref. 8), Feild, Bloom and Linnert (Ref. 14), and Post and Eberly (Ref. 22).

Self, Olson and Edwards (Ref. 152), using a statistical regression analysis of the data from 16 different investigations, obtained an expression for martensite start temperature as a function of alloy composition. This equation is given as:

$$M_s = 526 - 12.5Cr - 17.4Ni - 29.7Mn - 31.7Si - 354C - 20.8Mo - 1.34(CrNi) + 22.4(Cr + Mo)C \quad (24)$$

This equation does incorporate the switch in the relative austenite stability experienced for manganese relative to nickel that was reported by Self, Olson and Matlock (Ref. 146) with variations in chromium content. Equation 24 also corrects for the loss in austenite promotion ( $Ni_{eq}$ ) and ferrite promotion ( $Cr_{eq}$ ) due to some of the carbon, chromium and molybdenum being depleted from the solid solution with the formation of sec-

ond phases. Figure 20 indicates the calculated austenite-martensite start boundary line as a function of service temperature. Notice the large shift in this boundary as the temperature approaches cryogenic service.

### Fe-Mn-Ni-Al Weld Metal Alloy System

The Fe-Mn-Ni-Al alloy system offers an austenitic matrix by proper alloying with manganese, nickel and aluminum additions. These alloys can have mechanical properties and corrosion resistance similar to the Fe-Cr-Ni austenitic stainless steels (Refs. 153-157). The austenitic phase stability for this weld metal alloy system has been characterized by Carpenter, Olson and Matlock (Ref. 158). Their results are illustrated in Fig. 21. Notice that both alpha and epsilon martensite can form from austenite in this alloy system. The upper right corner of the diagram achieves a microstructure very similar to type 308 stainless steel weld deposit, which is characterized by an austenitic matrix and an aluminum-rich delta ferrite phase. The nature of the stability of aluminum-rich ferrite still needs further investigation if Fe-Mn-Ni-Al weld metal is to substitute for the traditional Fe-Cr-Ni weld deposits. Notice the similarity between Fig. 21 and the original Schaeffler diagram in Fig. 4.

### Thermodynamic and Kinetic Approaches in the Development of Expressions for Weld Metal Behavior Prediction

In contrast to the experimentally determined expressions discussed above, Liu, Matlock and Olson (Ref. 159) considered a fundamental approach to establish a

better expressional form for these microstructural predictive equations. It is anticipated that the new expressional forms may be better suited to predict weld metal microstructure and properties over a larger compositional range. For a transformation to occur, two main conditions must be fulfilled. First is the thermodynamic desire for the transformation. Second is the kinetics of the transformation, which involves the mechanism and rate of the reaction. The martensitic transformation is most sensitive to thermodynamic desire (Refs. 148, 160), whereas the delta ferrite formation is more likely coupled to kinetic considerations.

Considering the austenite-ferrite transformation, the thermodynamic desire for transformation is given by:

$$\Delta G_{\gamma \rightarrow \alpha} = \Delta G_{s01}^{\alpha} - \Delta G_{s01}^{\gamma} \quad (25)$$

Using a modified regular solution model, this free energy change is composed of two sets of summations (Ref. 1) — the contribution of individual alloying elements and (Ref. 2) the interaction term of the alloying elements (cross product terms). If the microstructural sensitivity property,  $P$ , is directly related to the amount of transform product, Liu, et al. (Ref. 159), suggest the following expressional form should be considered:

$$P = K_{Ni}Ni + K_{Mn}Mn + K_{Si}Si + K_{Cr}Cr + K_{Cr-Mn}CrMn + K_{Cr-Si}CrSi \dots \quad (26)$$

If the set of cross product terms is not considered, the expression suggests forms similar to the ones used for nickel and chromium equivalent equations. It becomes apparent that much of the information about alloying behavior is lost without the interaction terms, especially for the alloys with high alloying

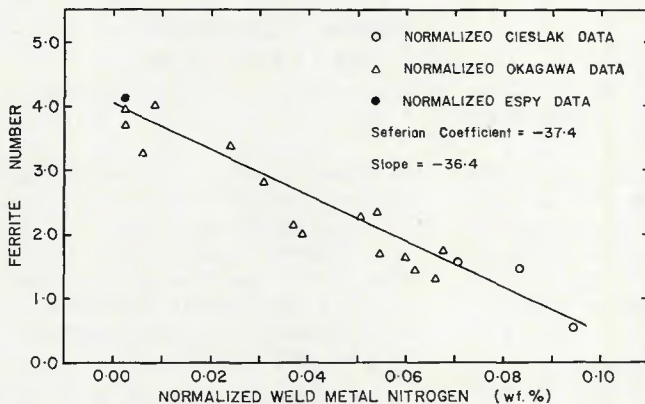


Fig. 18—Ferrite number as a function of the normalized weld metal nitrogen content (weld metal nitrogen—base metal nitrogen). Normalized data of three investigators all lies on the same line

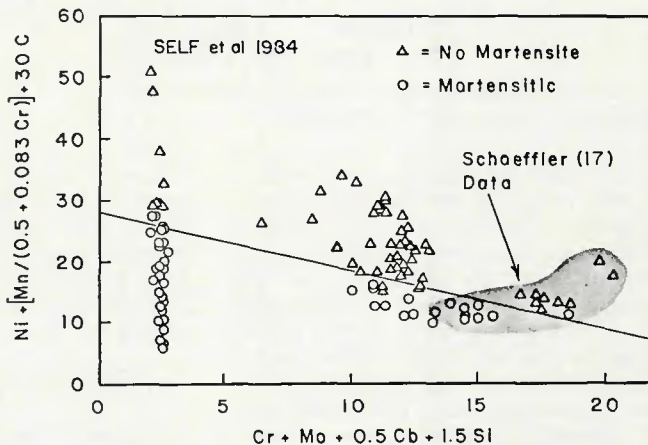


Fig. 19—The martensite start composition for room temperature as a function of modified nickel and chromium equivalents. The Schaeffler original data was used with the results of Self, et al., to determine this line









